

On nonstandard selfinjective algebras of domestic type

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By general theory, the basic, indecomposable, finite dimensional selfinjective algebras over algebraically closed field K split into two classes: the standard algebras which admit simply connected Galois coverings, and the remaining nonstandard algebras. The standard representation-infinite selfinjective algebras of domestic type are the orbit algebras \widehat{B}/G , where \widehat{B} is the repetitive category of tilted algebra B of Euclidean type and G is an admissible infinite cyclic group of automorphisms of \widehat{B} . The nonstandard representation-infinite selfinjective algebras of domestic type occur for any algebraically closed field K and are geometric socle deformations of the corresponding standard selfinjective algebras of domestic type.

We will show that every nonstandard representation-infinite selfinjective algebras of domestic type is not derived equivalent to a standard selfinjective algebra (using invariance of the Hochschild cohomologies under derived equivalence).

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